

$x\forall\exists\text{f}\text{f}\leftrightarrow\leftrightarrow\Rightarrow\text{QNCZR}\supset\rightarrow\sim\cdot\vee\wedge\emptyset\oplus\otimes\neq\in\subseteq\supset\supset\supset\cup\cap\equiv\neq\infty\Pi\Sigma\sqrt{\diamond}\approx\leq\geq\neq\int\partial\theta.:.\square\diamond$

$\forall x\exists y[(Rx \rightarrow Tx) \cdot (Zy \equiv Gy)]$

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